

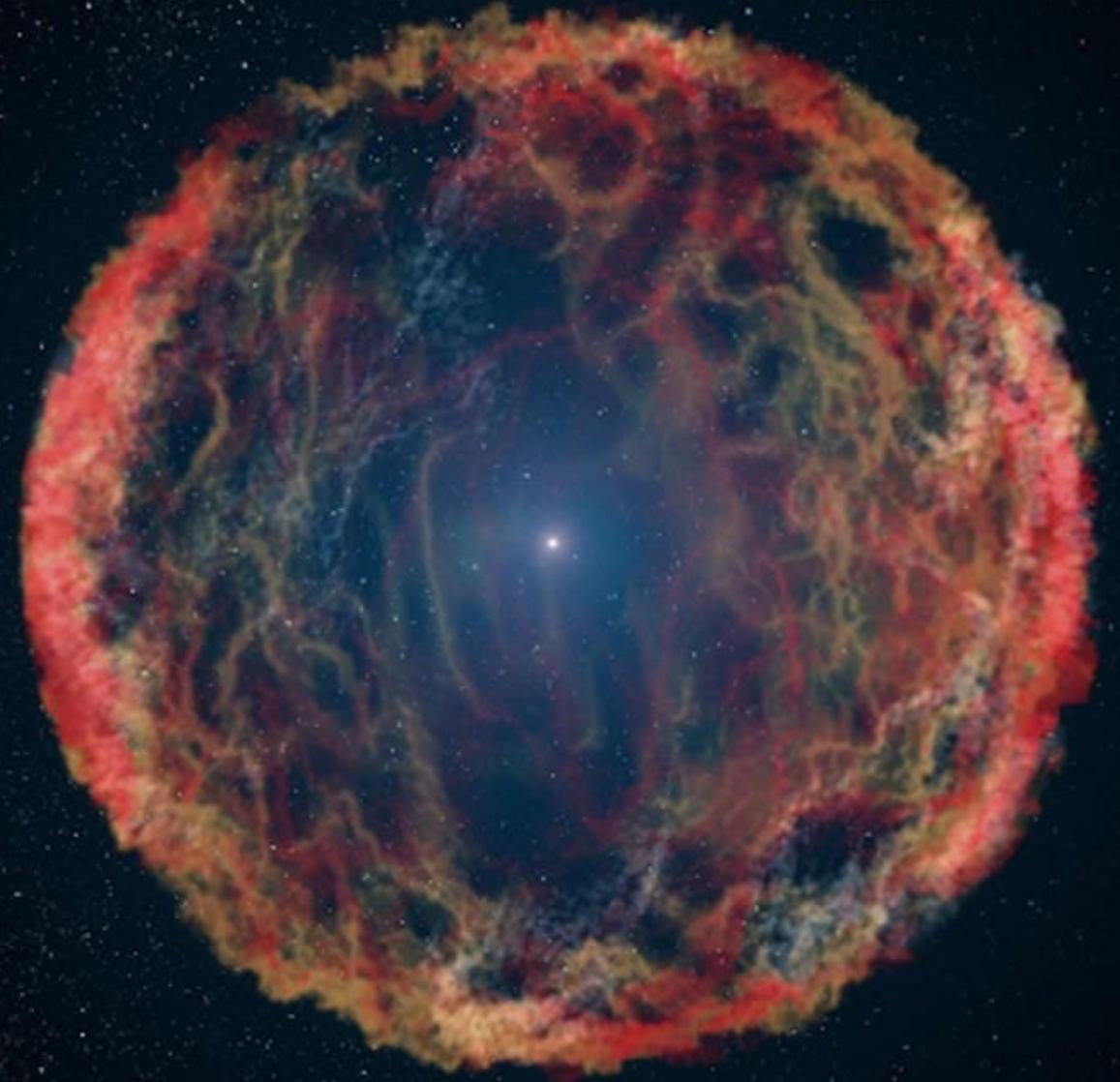
Lecture III.

# Stellar birth, life and death

Imre Bartos  
Department of Physics



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# Star formation

## Origin:

- Molecular clouds
- Interstellar gas (MW: 1 particles / cm<sup>3</sup>)

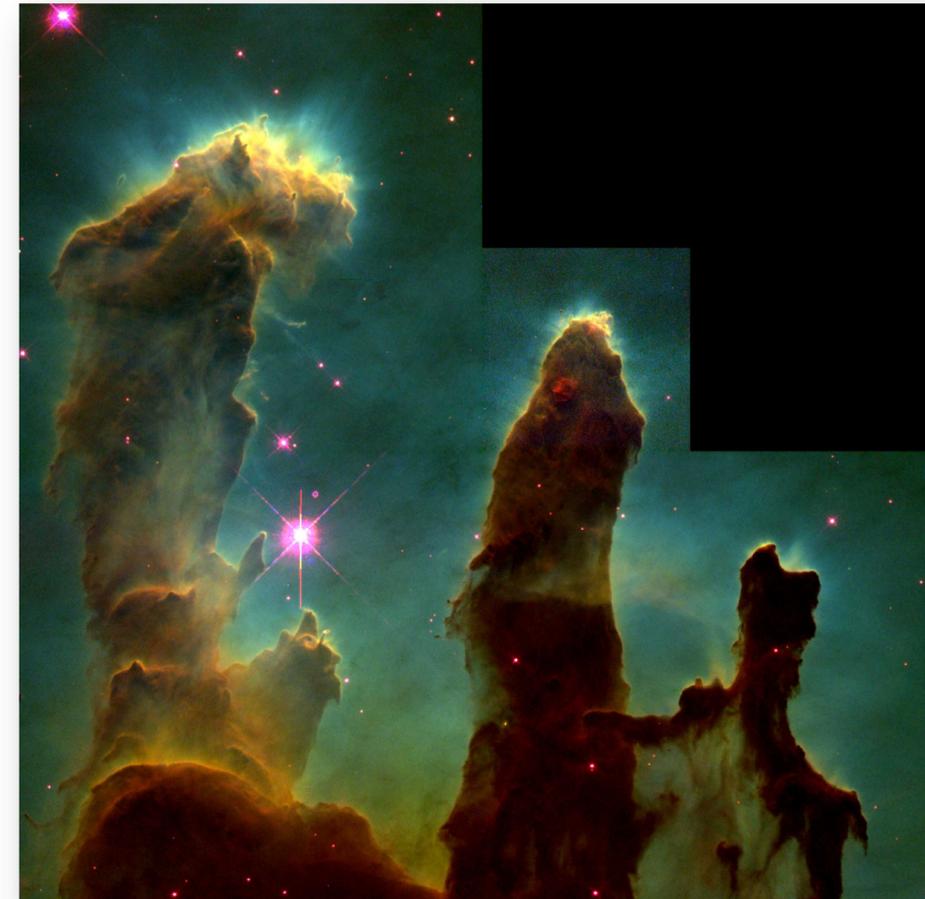
Cloud collapses (gravity) and heats up (work)

## Can be triggered:

- Galaxy collisions
- Supernova shocks
- Milky Way – arms have higher SF

Accreting Supermassive BHs drive relativistic jets that can limit SF.

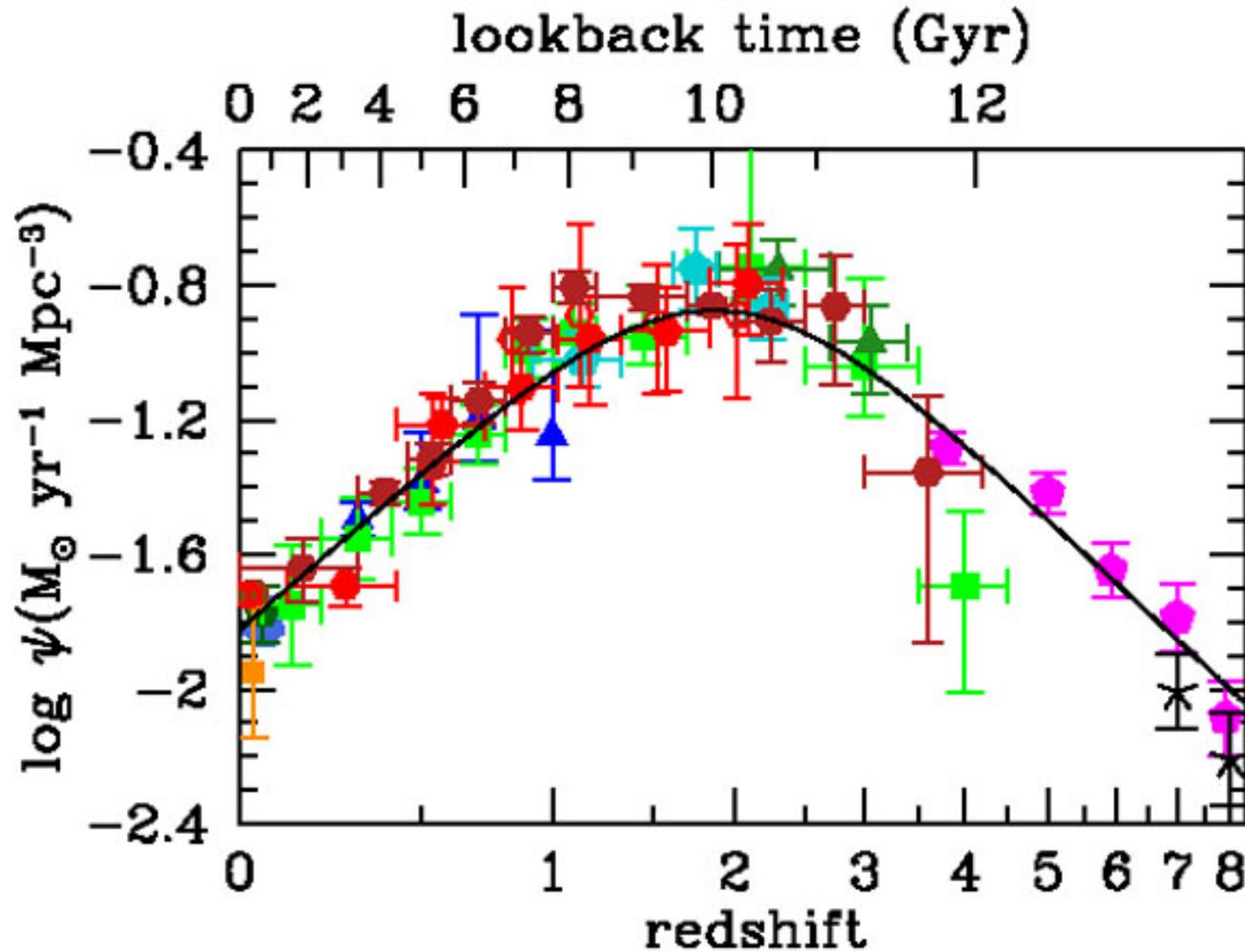
Massive stars form in binaries (angular momentum)



HST image of Eagle Nebula.

Credit: NASA, Jeff Hester, and Paul Scowen (Arizona State U.)

# Cosmic star formation rate



Non-uniform,  
higher in the past.

Peaks around  $z \sim 2$

Needs to be taken into account  
when studying star formation /  
supernovae / BH formation / etc.

Depends on many things. E.g.,  
less gas is available today.

$$\psi(z) = 0.015 \frac{(1+z)^{2.7}}{1 + [(1+z)/2.9]^{5.6}} M_{\odot} \text{ year}^{-1} \text{ Mpc}^{-3}$$

# Initial mass function

Salpeter function (1955):

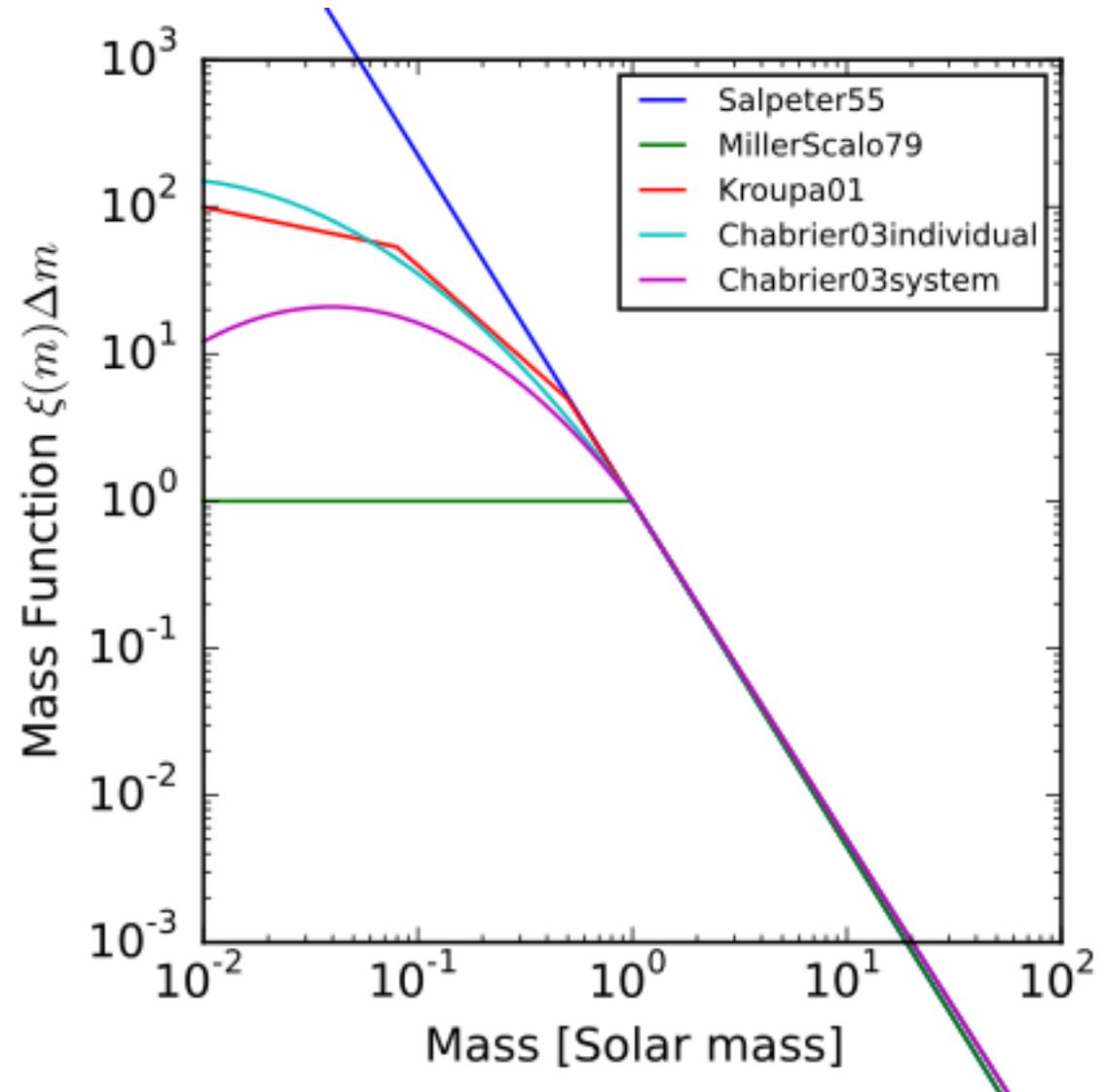
$$\xi(m)\Delta m = \xi_0 \left( \frac{m}{M_{\text{sun}}} \right)^{-2.35} \left( \frac{\Delta m}{M_{\text{sun}}} \right)$$

*only applicable ~ above stellar mass*

Substellar population is uncertain (see varying models).

Will be important for the distribution of stellar remnants (WD, NS, BH).

Will be important for the BH mass distribution (uncertain).



# Stellar Evolution

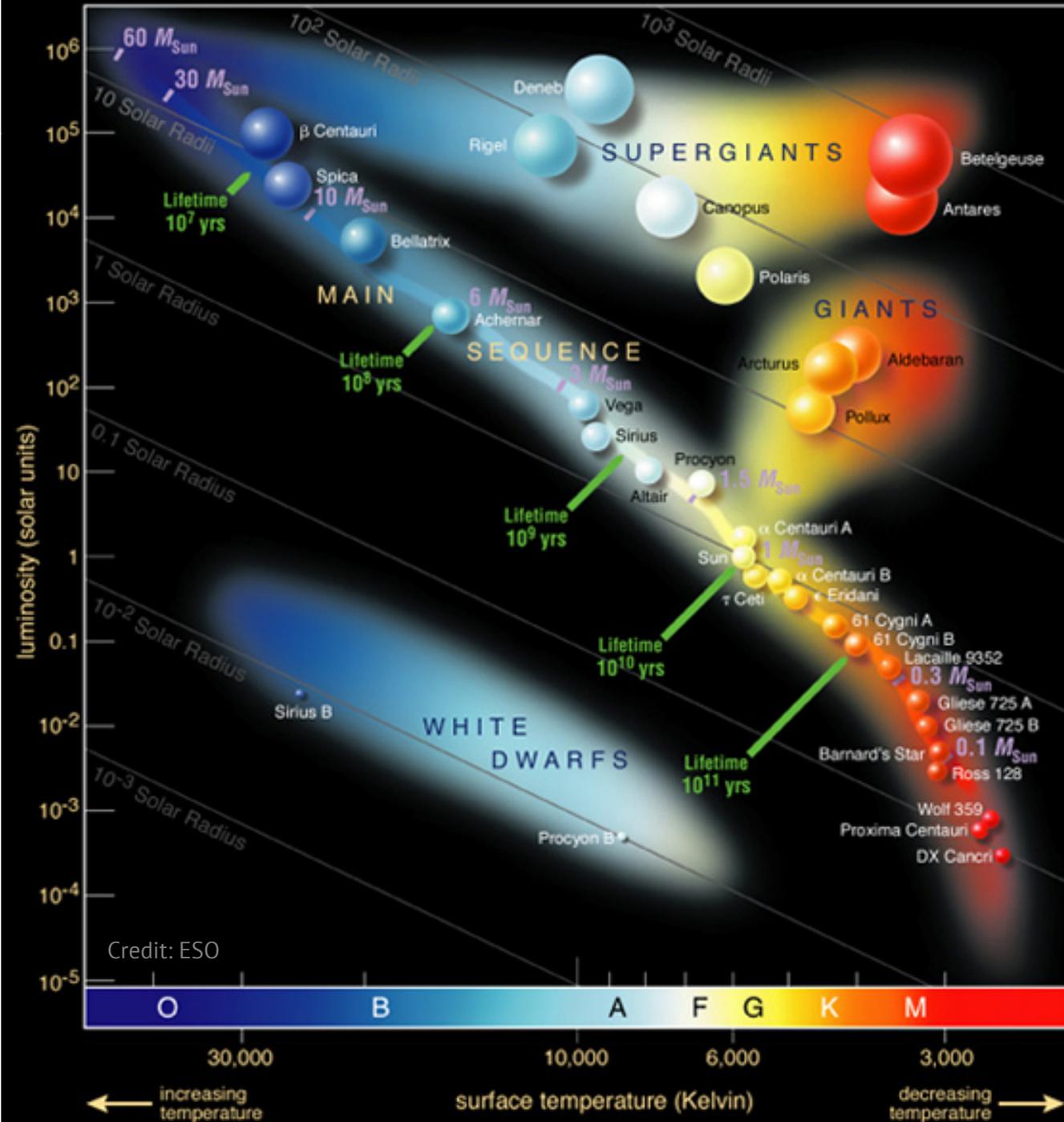
Not everyone will be a star...  
Below  $0.08 M_{\odot}$ , pressure is too small for fusion.  
→ Brown dwarfs

Stars are ~70% H, 30% He, and a trace of “metal.”  
→ Hydrogen fusion.

Fusion produces heat that halts  
gravitational collapse.  
→ Hydrostatic equilibrium.

Hertzsprung–Russell diagram  
Stars stay on the same point  
for most of their lives.

When H starts running out stars move off of the  
main sequence.

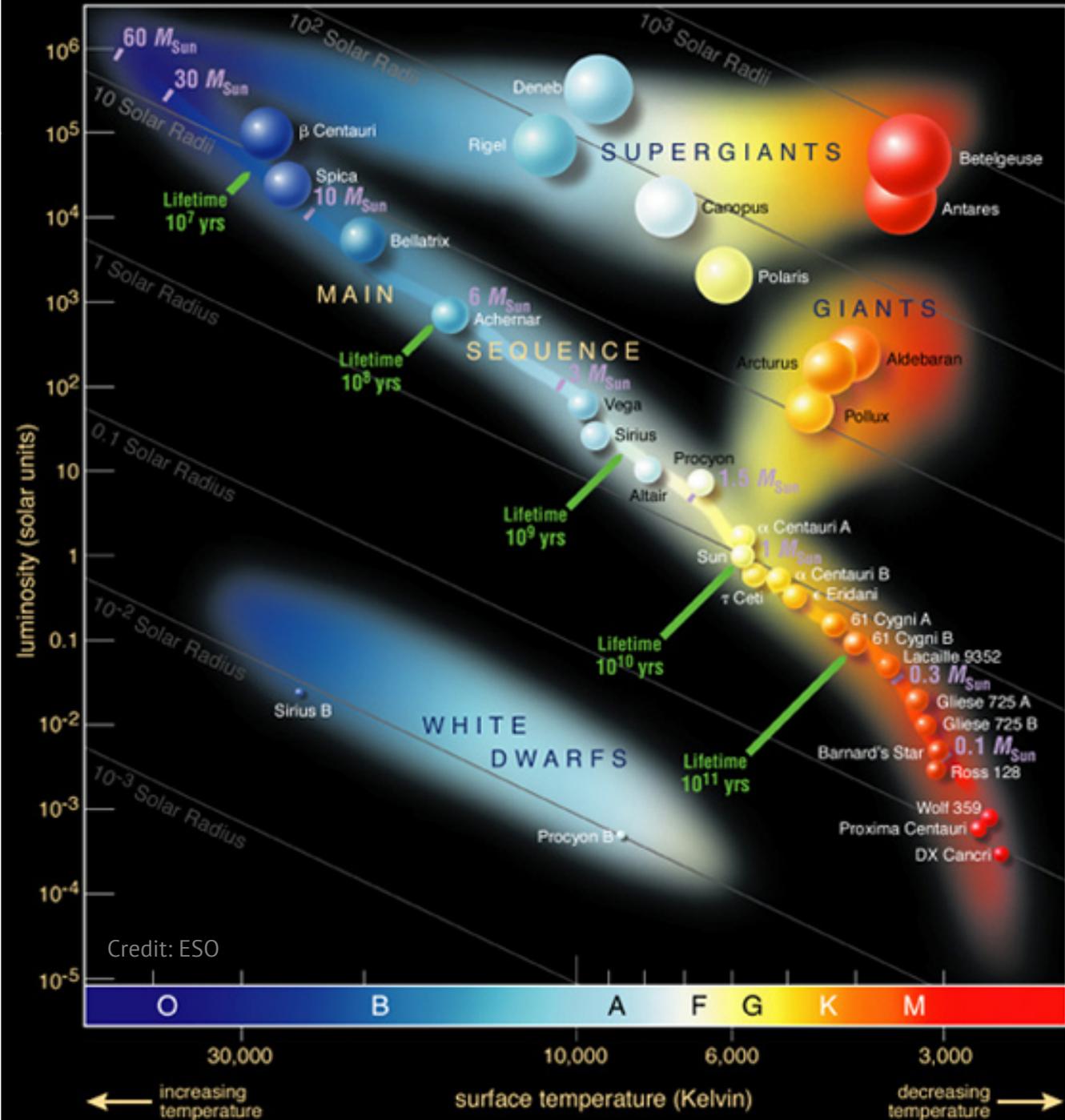


# Stellar Evolution II.

Massive stars live fast and die young.

Mass (solar masses)	Time (years)	Spectral type
60	3 million	O3
30	11 million	O7
10	32 million	B4
3	370 million	A5
1.5	3 billion	F5
1	10 billion	G2 (Sun)
0.1	1000s billions	M7

<http://www.worldscientific.com/worldscibooks/10.1142/8573>

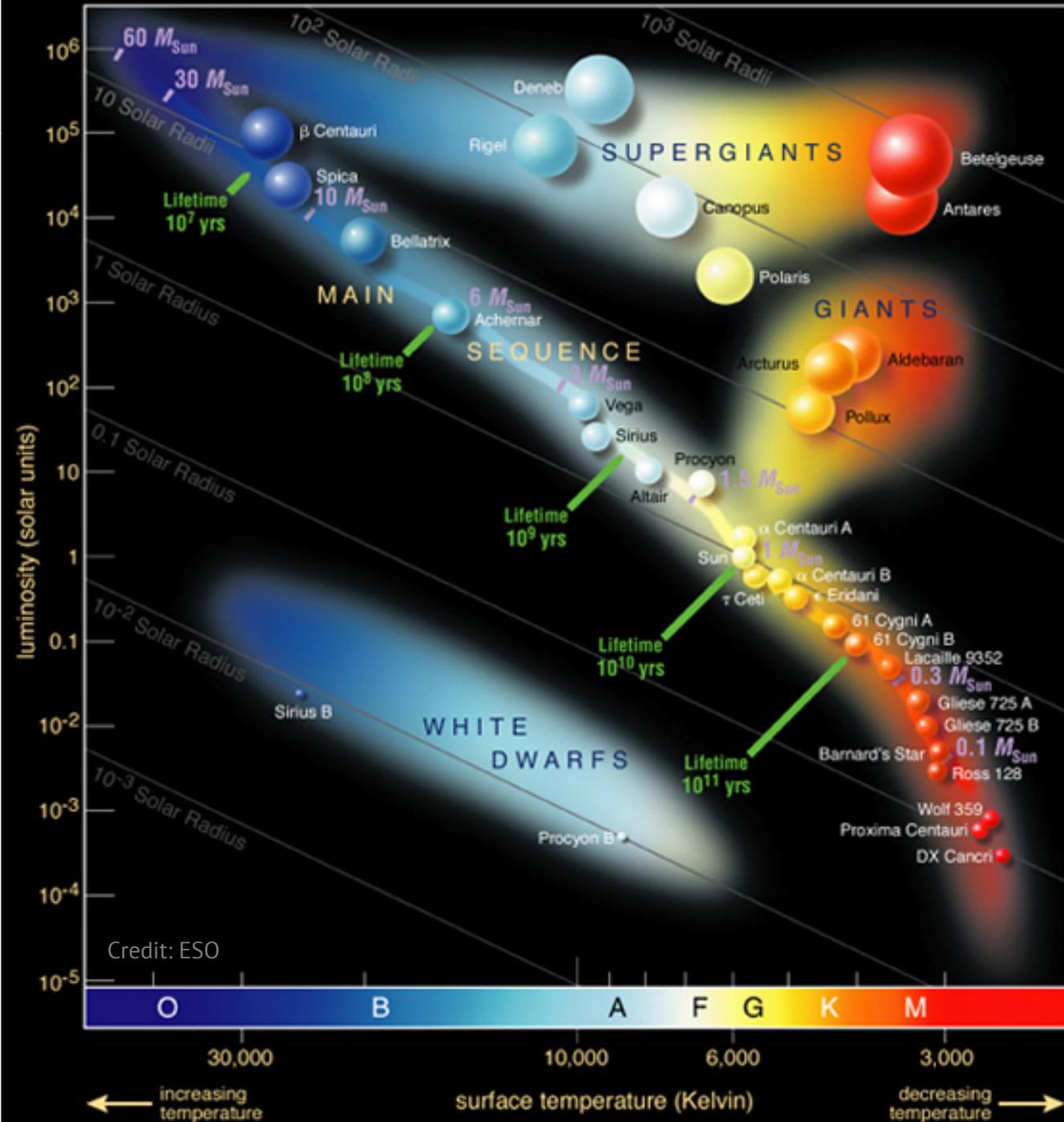


# Stellar Evolution III.

White dwarfs – low mass ( $< 8-10 M_{\odot}$ ) stars run out of fuel  $\rightarrow$  no thermal pressure  $\rightarrow$  shrink.

Giants – e.g. helium burning introduces different equilibrium: increased temperature  $\rightarrow$  stars grow in size and redden.

Supergiants – from the heaviest stars. There are also hypergiants.



# Stellar winds

Radiation pressure blows off gas/dust from the outer layers of stars.

Metallicity: fraction of elements heavier than He.  
Typically defined in comparison to Solar metallicity.

More metallicity → more stellar winds.

Higher stellar mass → more wind.

Winds will limit the end-of-life mass of massive stars, especially for high-metallicity stars.

Wolf-Rayet stars: massive stars that lost ~all of their hydrogen envelope to winds.

Population III (Pop III) stars: extremely massive stars only in the early universe (first stars), with no metals.



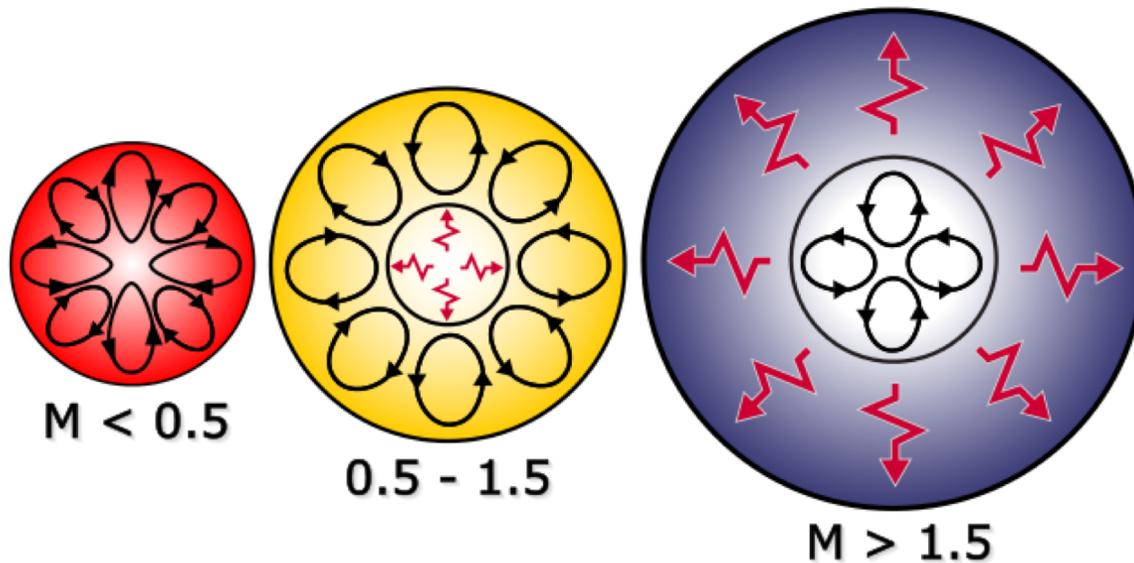
Credit: ESA/Hubble & NASA Acknowledgement: M. Novak

# Chemical mixing

There can be convection within the star due to temperature difference / fast rotation / etc.

e.g. in a binaries can align orbit and spin  $\rightarrow$  fast spinning  $\rightarrow$  chemical mixing.

Can affect what is being fused, giant phase as well as stellar winds.



# Death

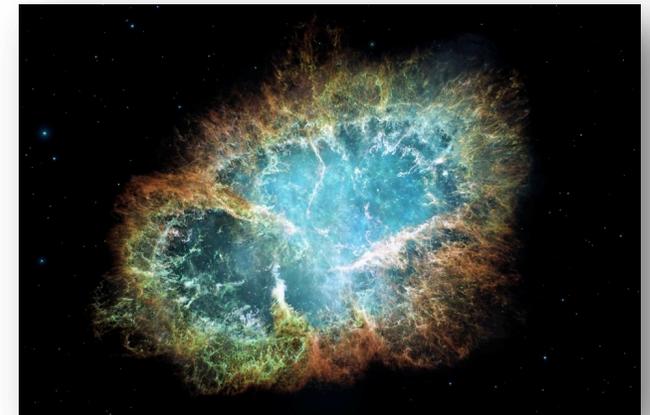
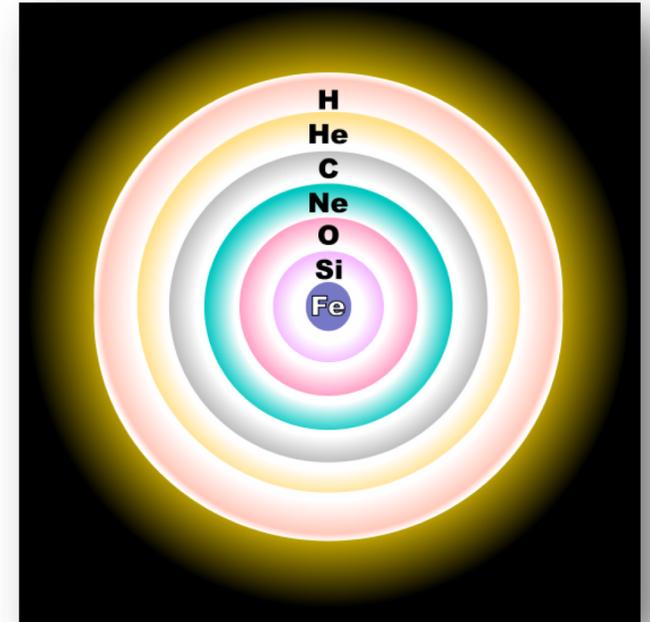
Low mass stars – runs out of fuel --> radiation pressure reduced → shrinks → white dwarf

High mass stars – fusion down to iron → iron core → gravitational core collapse → supernova / collapsar

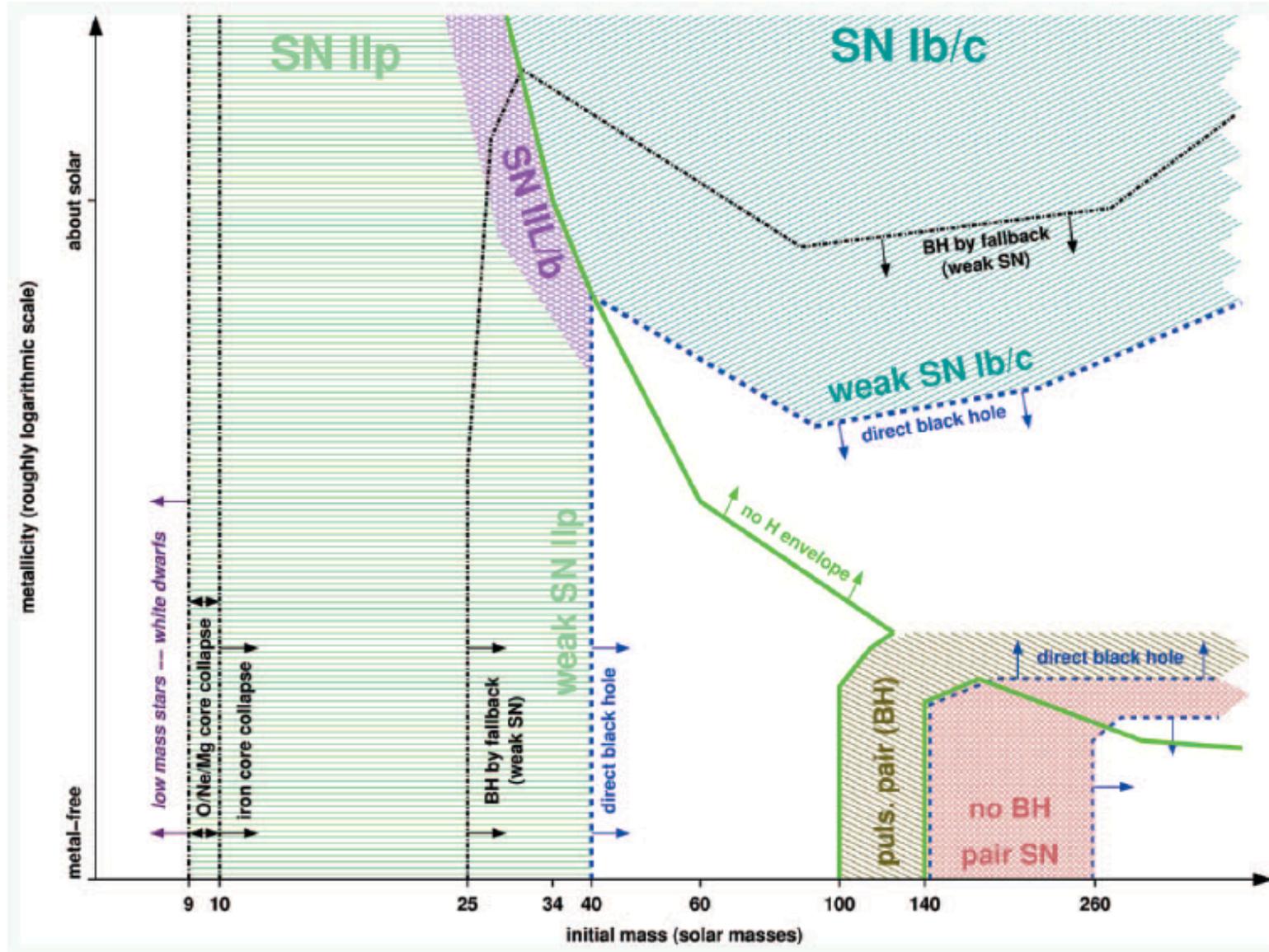
Very high mass stars – high pressure → gamma rays energetic for electron+positron pair production → reduced pressure → gravitational collapse → pair-instability supernova

Very high mass stars – high pressure → gamma rays energetic for photodisintegration → reduced pressure → gravitational collapse → black hole

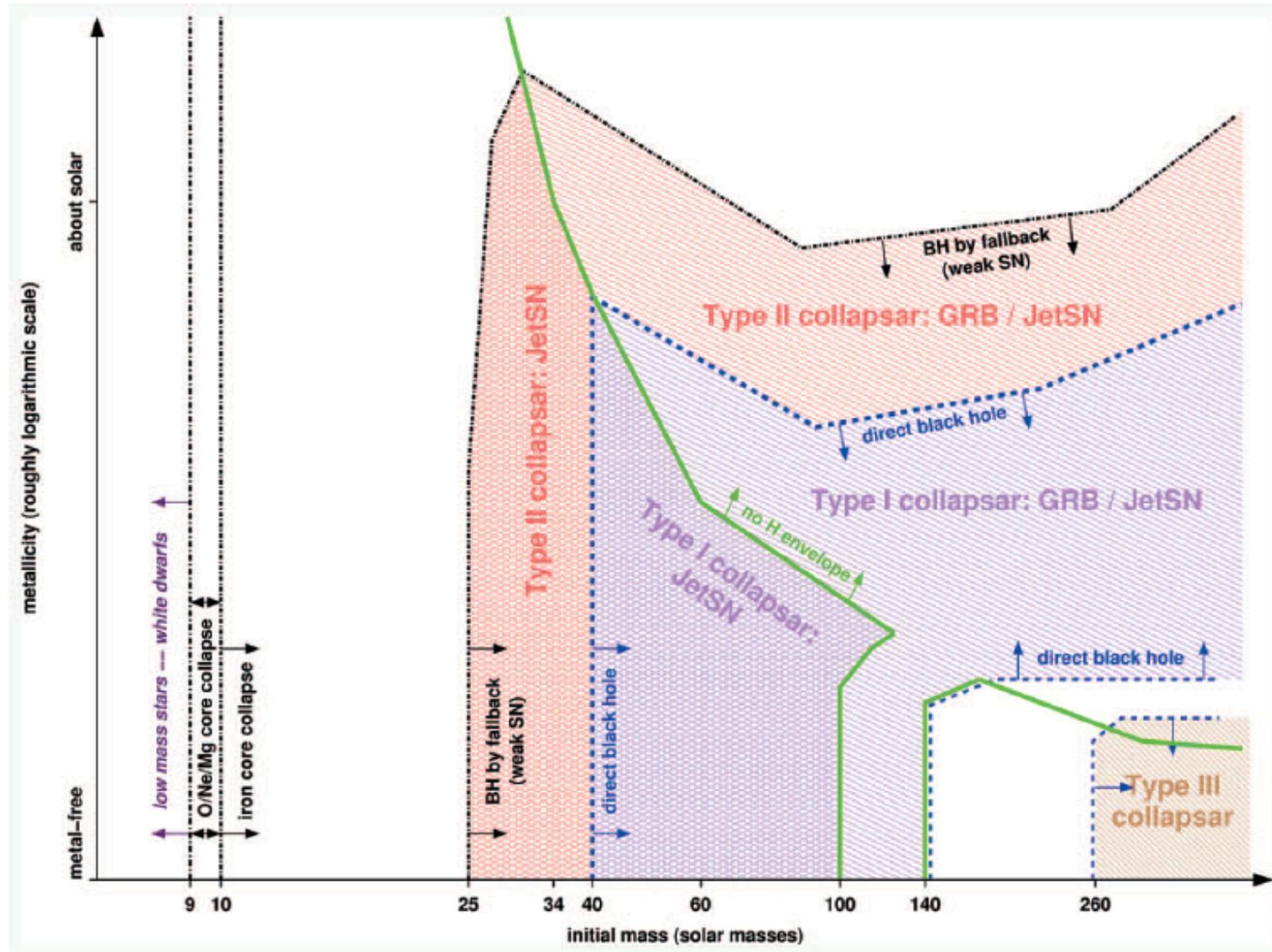
Infalling matter – needs to get rid of angular momentum → relativistic jet



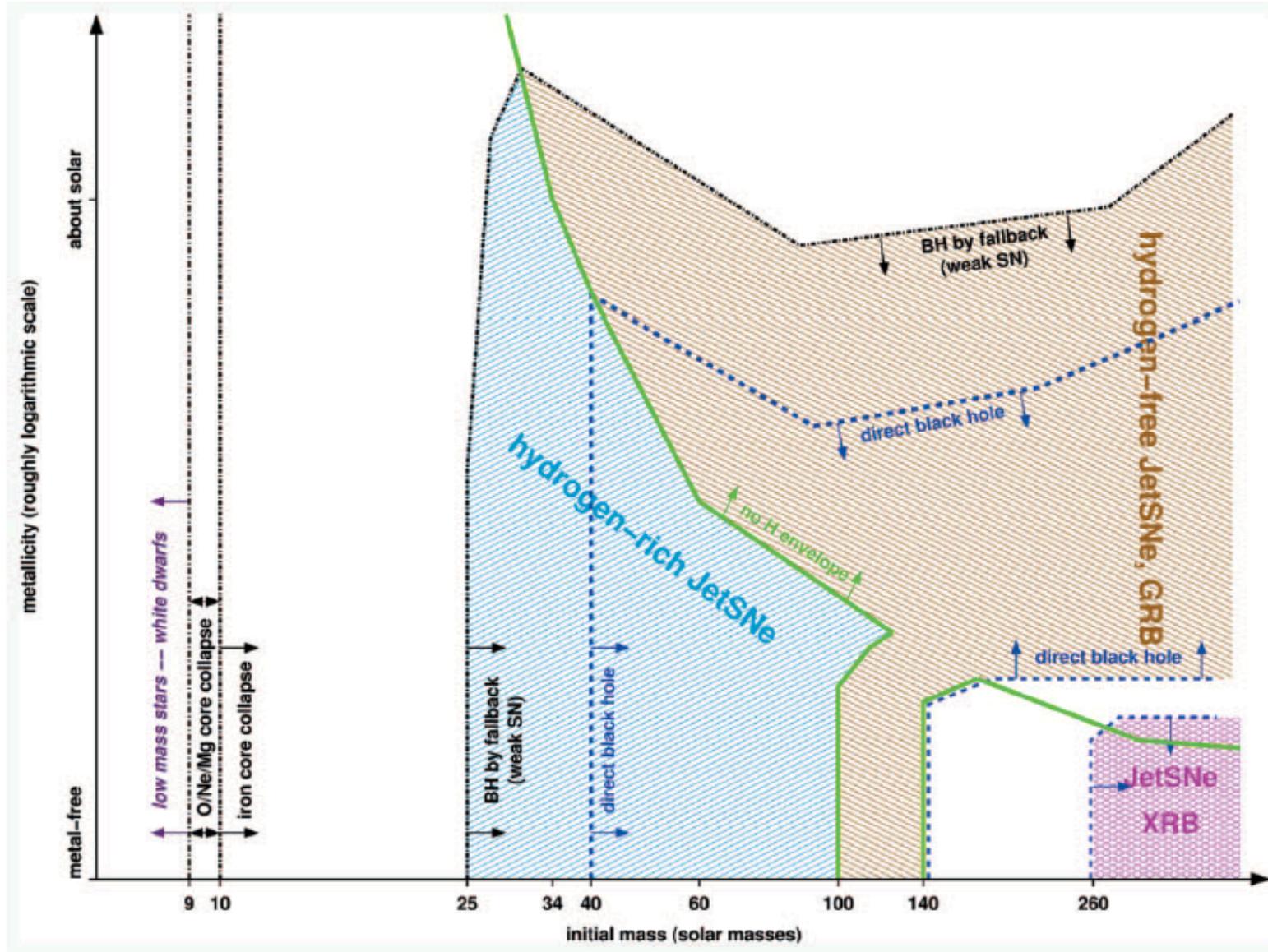
# Supernova explosion



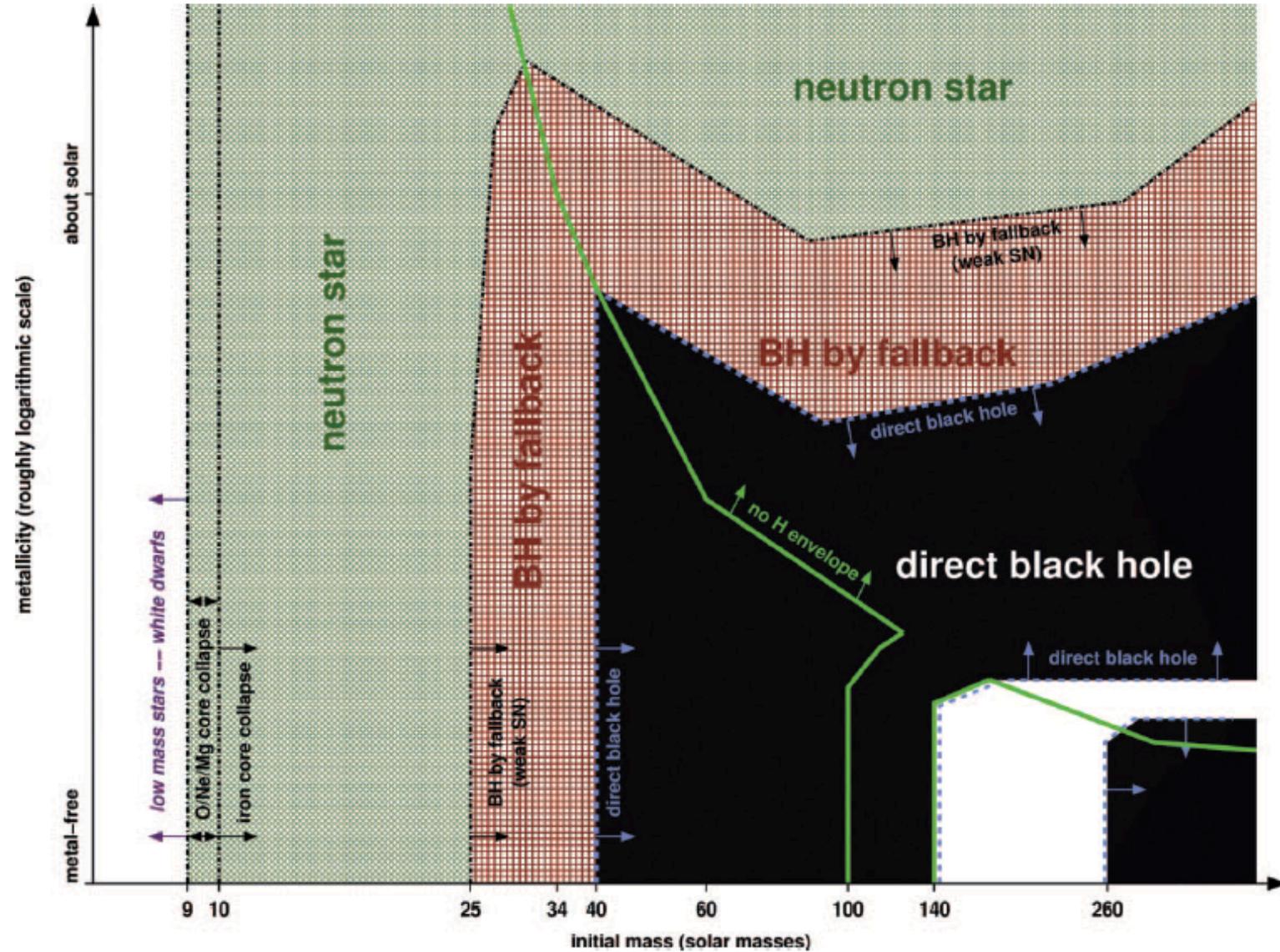
# Collapsars



# Beamed outflow (jet)

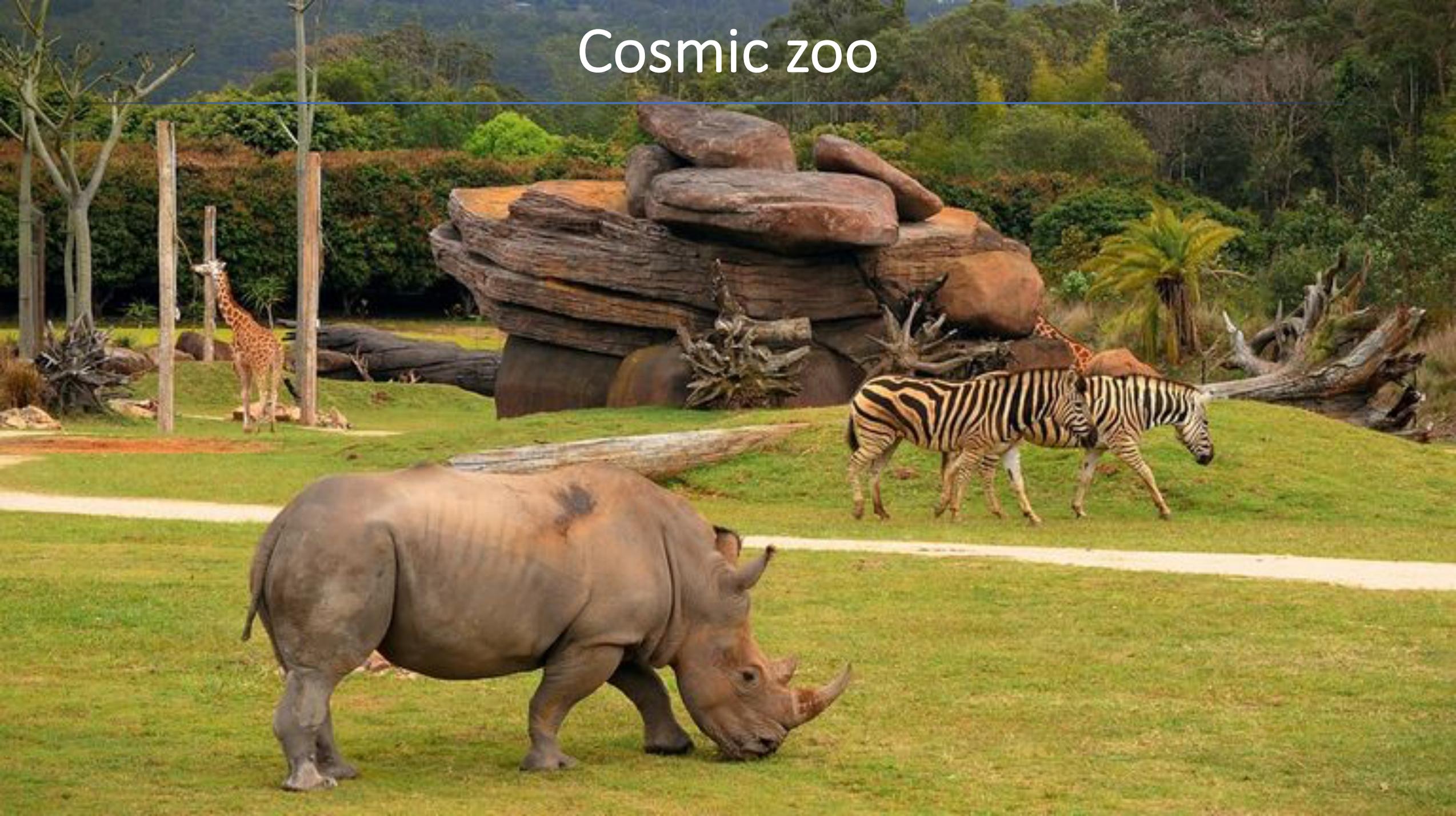


# Remnant





# Cosmic zoo

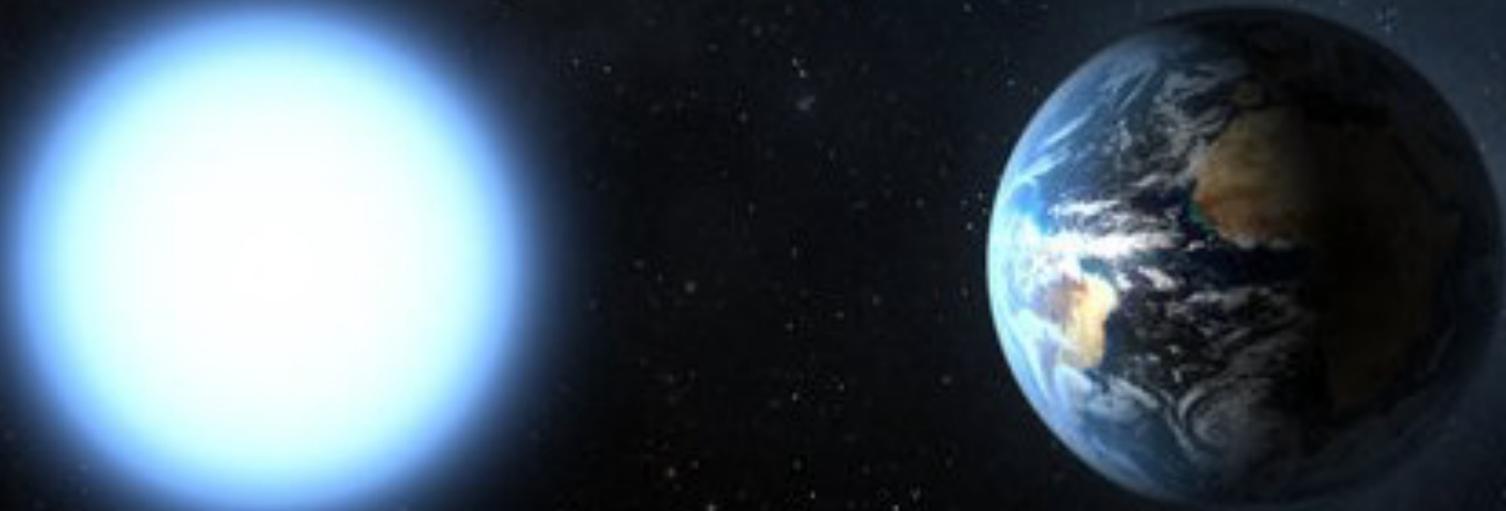


# White dwarfs

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# White dwarfs



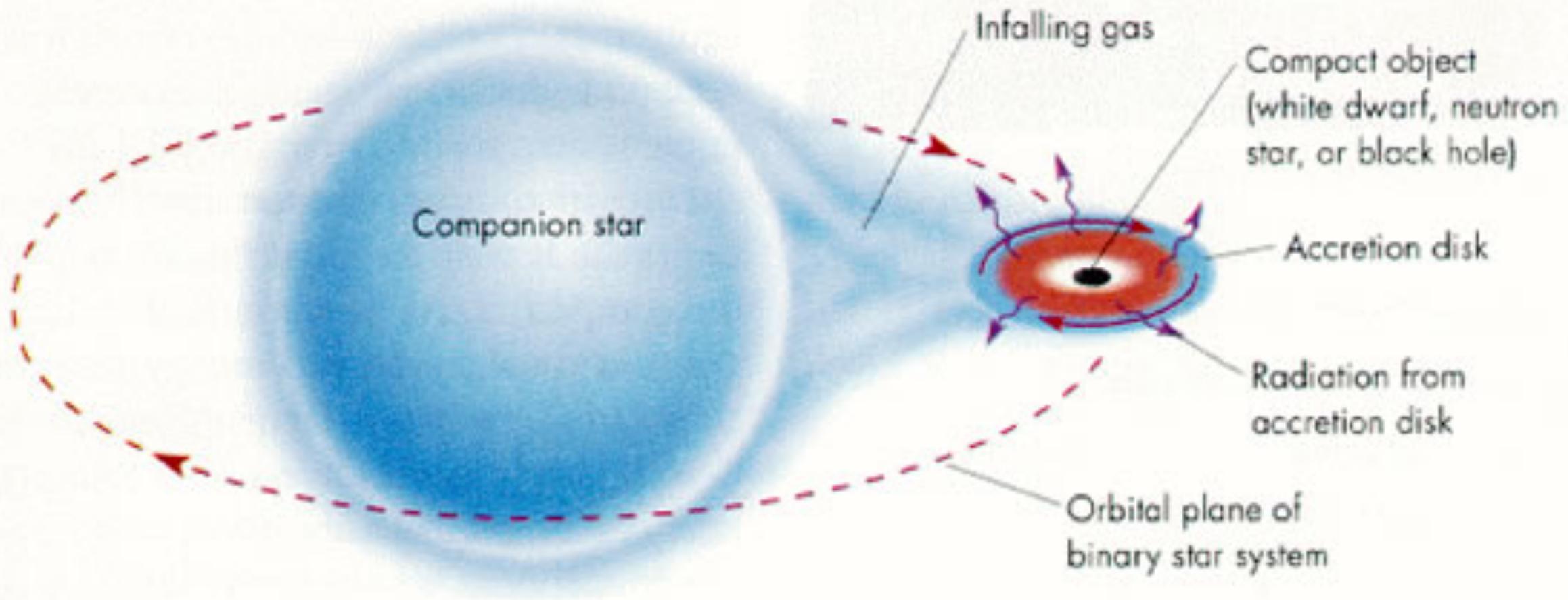
$$T = 2\pi \sqrt{\frac{a^3}{G(M_1 + M_2)}}$$

# Classification

## Absorption line and light curve

Type I No hydrogen	<b>Type Ia</b> Presents a singly ionized silicon (Si II) line at 615.0 nm (nanometers), near peak light		Thermal runaway	
	<b>Type Ib/c</b> Weak or no silicon absorption feature	<b>Type Ib</b> Shows a non-ionized helium (He I) line at 587.6 nm		
		<b>Type Ic</b> Weak or no helium		
Type II Shows hydrogen	<b>Type II-P/L/N</b> Type II spectrum throughout	<b>Type II-P/L</b> No narrow lines	<b>Type II-P</b> Reaches a "plateau" in its light curve	Core collapse
			<b>Type II-L</b> Displays a "linear" decrease in its light curve (linear in magnitude versus time). <sup>[47]</sup>	
		<b>Type IIn</b> Some narrow lines		
	<b>Type IIb</b> Spectrum changes to become like Type Ib			

# Novae



# Core collapse supernovae

Most relevant:  
Iron-core collapse

When iron core reaches Chandrasekhar mass (1.4 Msun) when it overcomes electron degeneracy

Typical energy released:  $10^{53}$  erg

*Can we estimate this?*

99% is released as neutrinos

*What is the neutrino flux at Earth?*

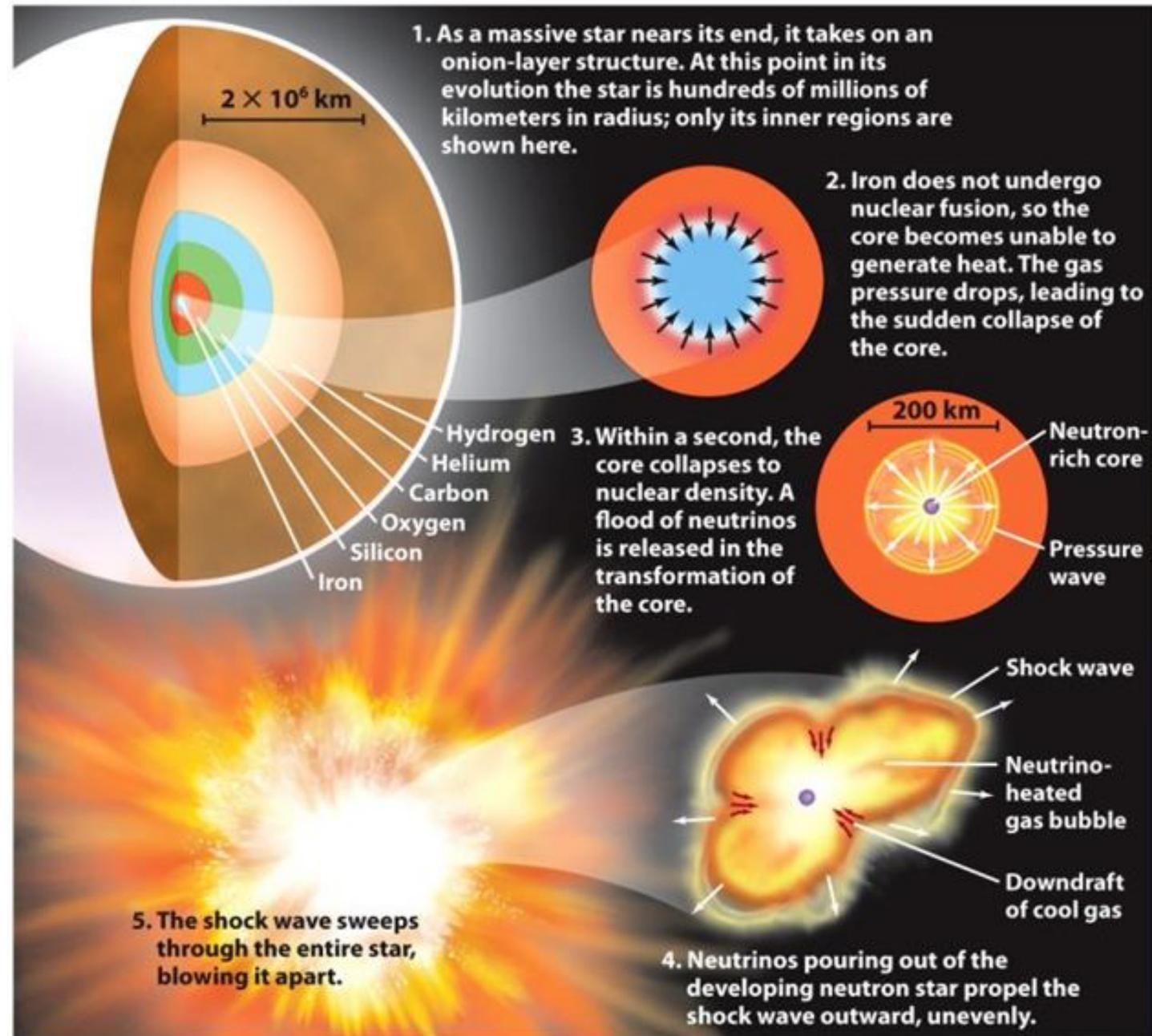


Figure 20-14

Universe, Tenth Edition

Illustration by Don Dixon, adapted from Wolfgang Hillebrandt, Hans-Thomas Janka, and Ewald Müller, "How to Blow Up a Star," *Scientific American*, October 2006

# SN 1987A

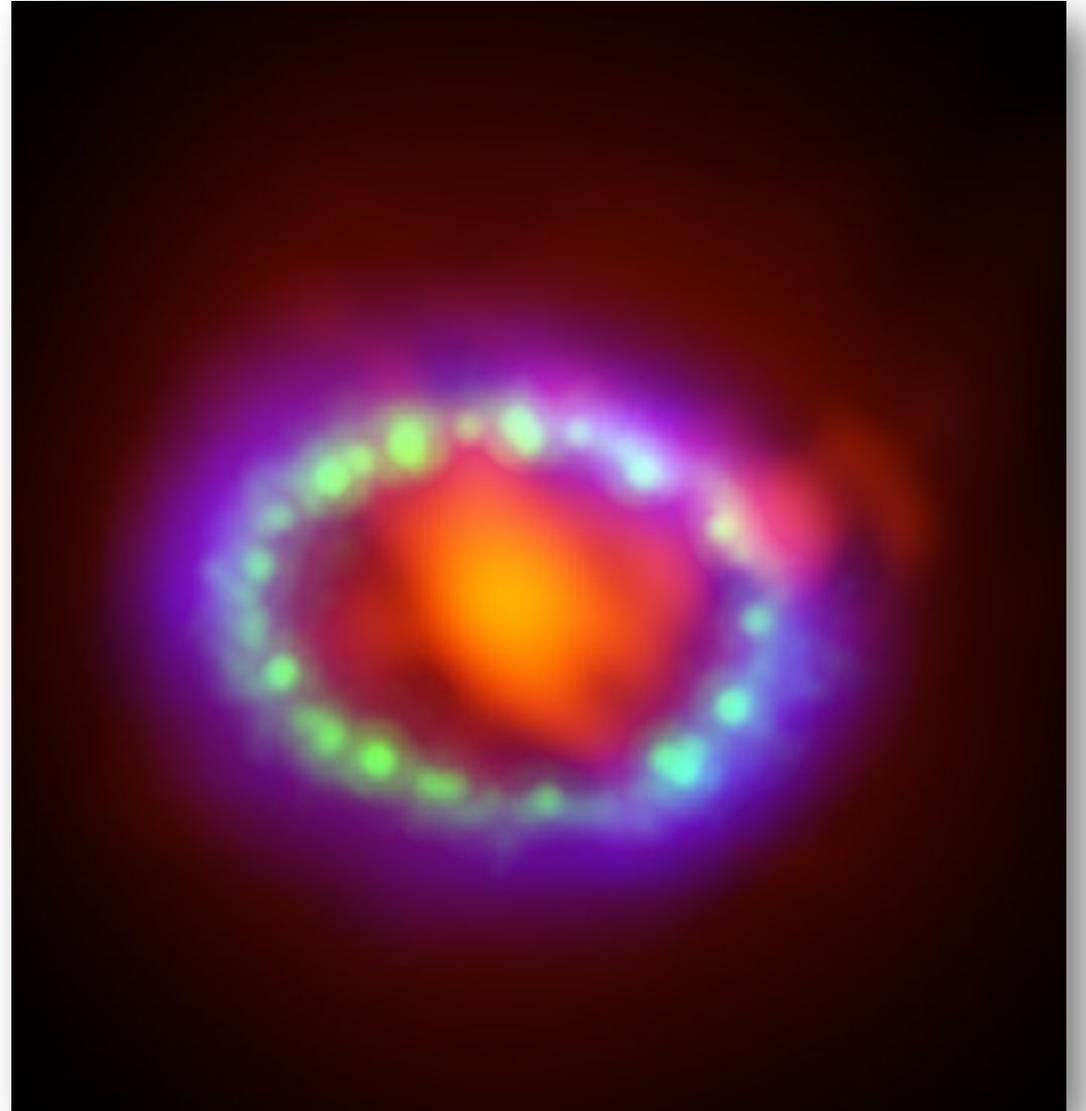
In Large Magellanic Cloud at ~50 kpc

Progenitor star: blue supergiant

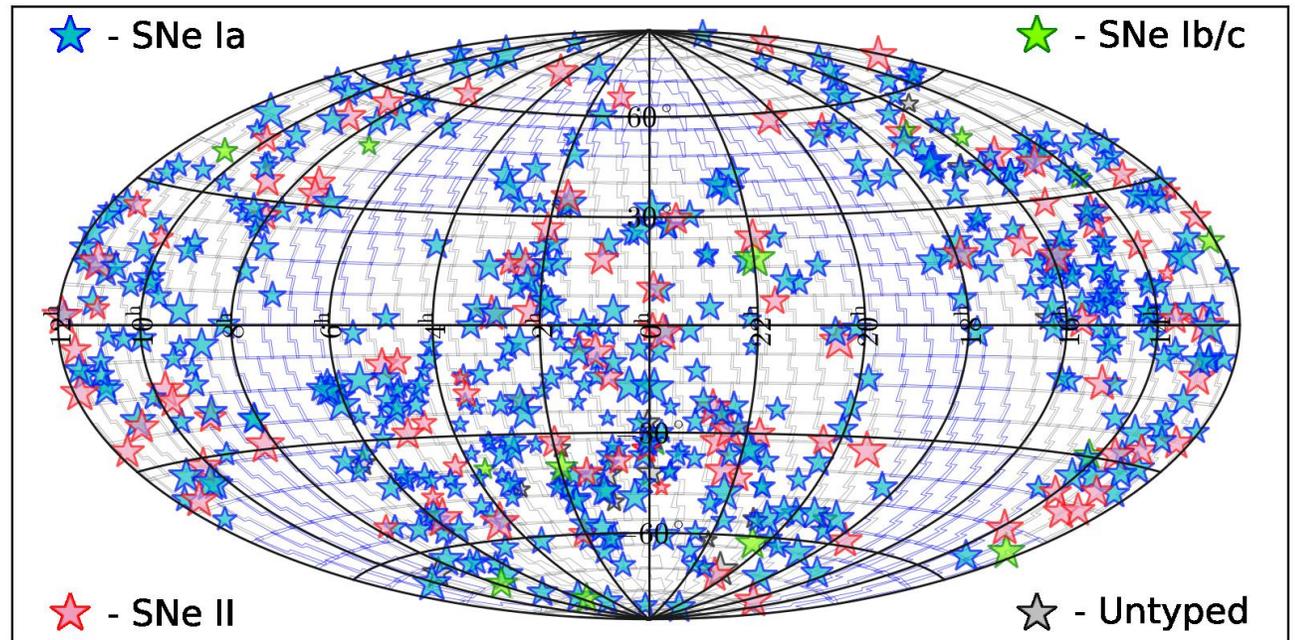
Visible to the naked eye from the Southern hemisphere

Detection of 25 neutrinos  
2-3 hours before the first light was detected

No NS remnant has been observed



# Observations

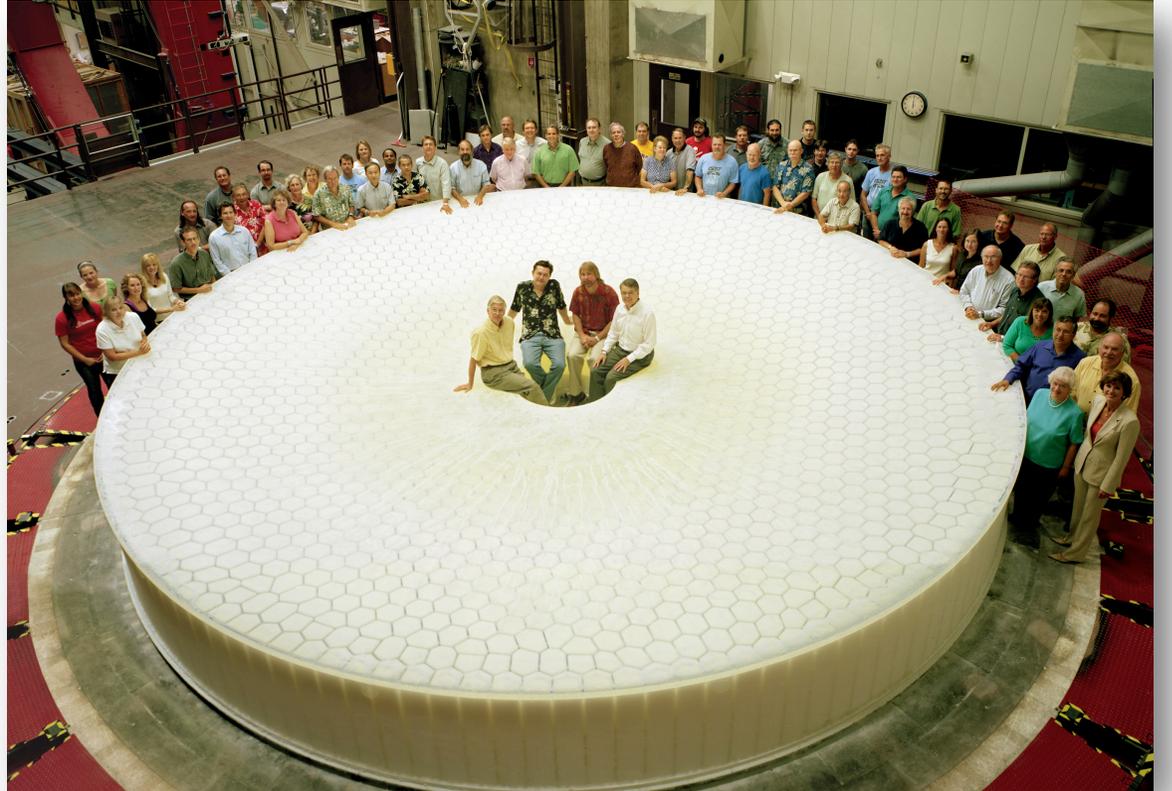


Multiple, very small telescopes that scan the whole sky every night.

# Observations



Zwicky Transient Facility (ZTF)  
Regular scans of the sky, rapid ToO response



Large Synoptic Survey Telescope (LSST, 2022)  
Regular scans of the sky, very high sensitivity (9m)



# Detections

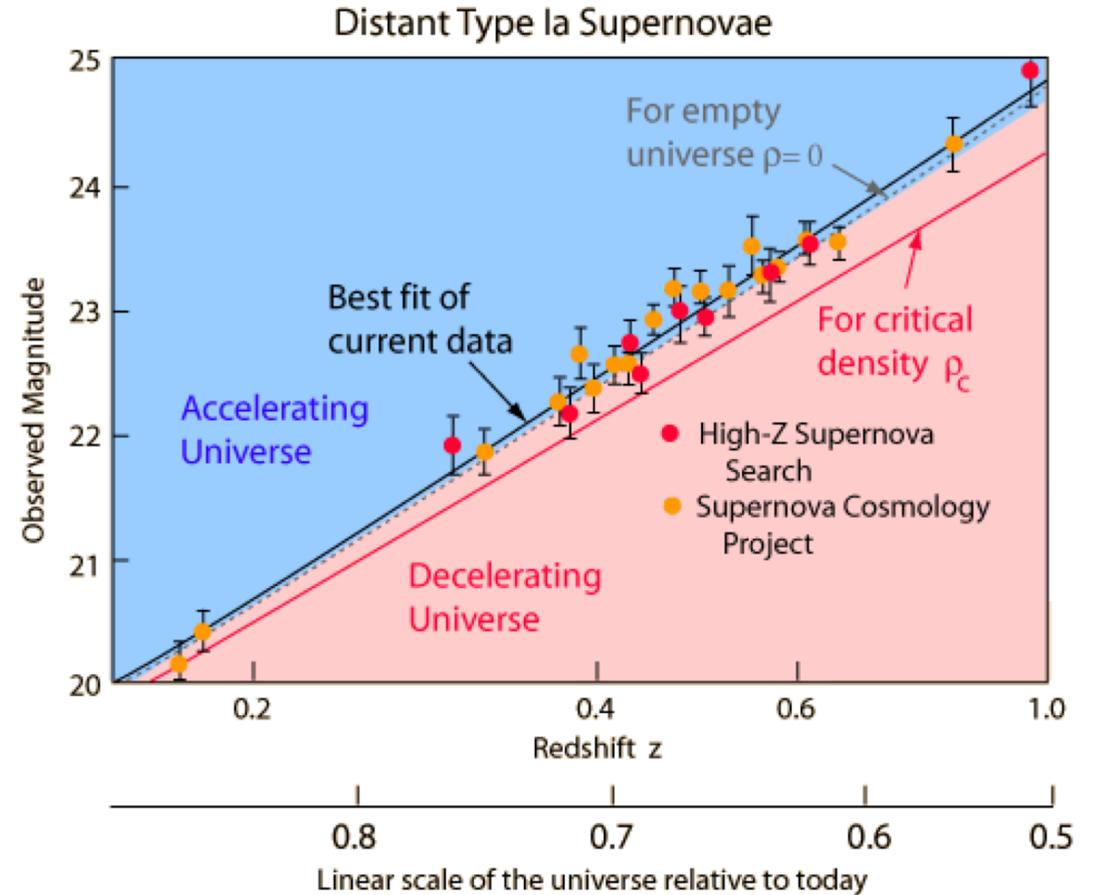
Type Ia --- standard candle for cosmic distance ladder

Gravitational waves --- maybe only from galactic CCSNe?

Neutrino observations

Process	Typical $ h $ (at 10 kpc)	Typical $f$ (Hz)	Duration $\Delta t$ (ms)	$E_{\text{GW}}$ ( $10^{-10} M_{\odot} c^2$ )	Limiting factors or processes
Prompt convection	$10^{-23}$ – $10^{-21}$ (Emission characteristics depend on seed perturbations.)	50–1000	0 to $\sim 30$	$\lesssim 0.01$ – $10$	Seed perturbations, entropy/lepton gradient, rotation
PNS convection	$2\text{--}5 \times 10^{-23}$	300–1500	500 to several 1000	$\lesssim 1.3 \left(\frac{\Delta t}{1\text{s}}\right)$	Rotation, BH formation, strong PNS $g$ -modes
Neutrino-driven convection and SASI	$10^{-23}$ – $10^{-22}$ (peaks up to $10^{-21}$ )	100–800	100 to $\gtrsim 1000$	$\gtrsim 0.01 \left(\frac{\Delta t}{100\text{ms}}\right)$ $\lesssim 15 \left(\frac{\Delta t}{100\text{ms}}\right)$	Rotation, explosion, BH formation

Ott CQG 2008



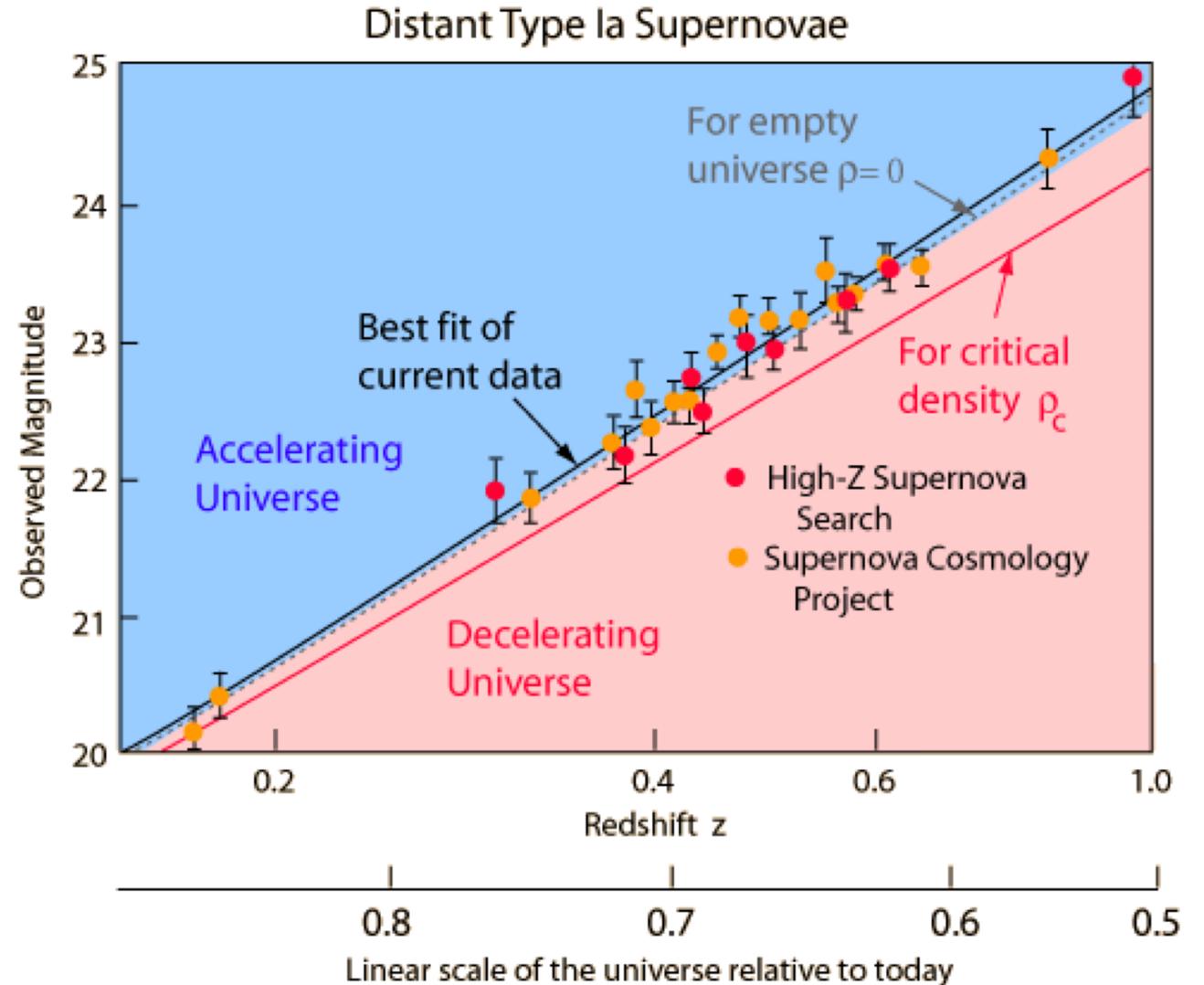
# Cosmology with Type Ia Supernovae

“Standard candle”  
always the same peak luminosity

Allows reconstruction of  
luminosity distance

vs. host galaxy redshift

→ Rate of expansion of the universe



# Gravitational waves

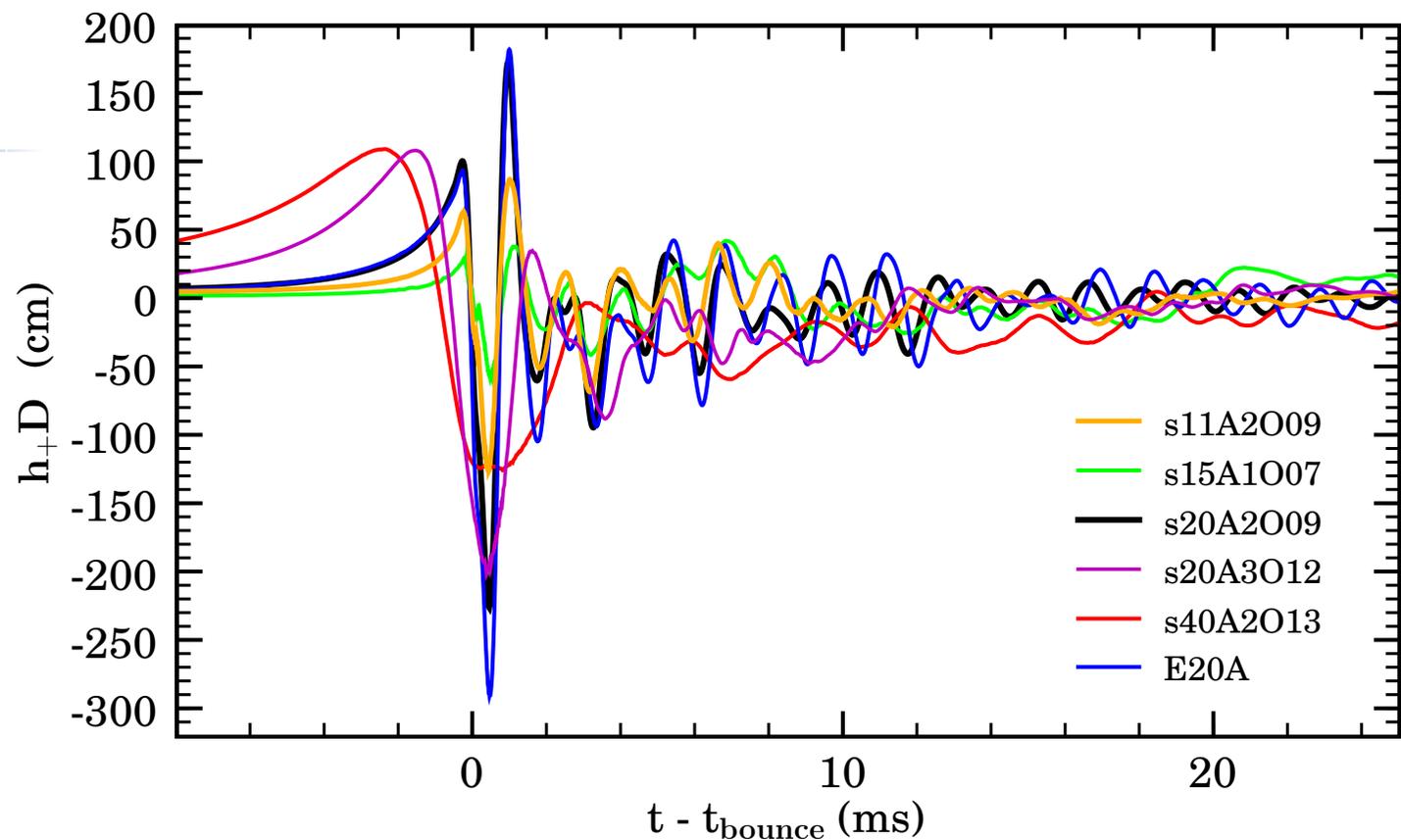
“messy” waveform  
stochastic with dominant frequency

Emission essentially stars with core bounce

Duration: 10s of ms

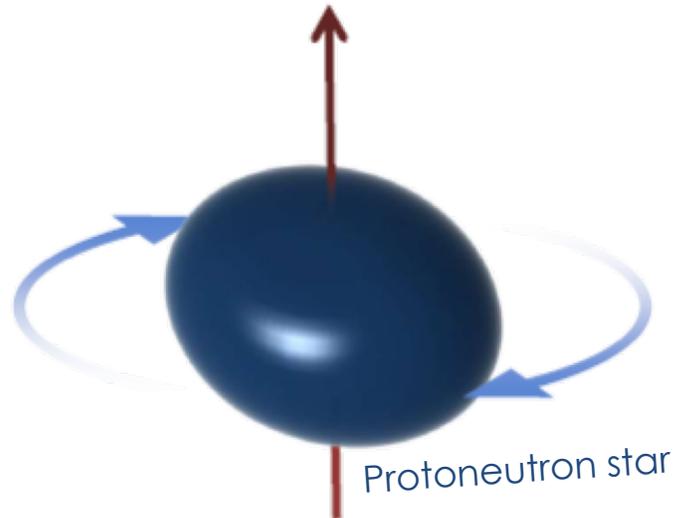
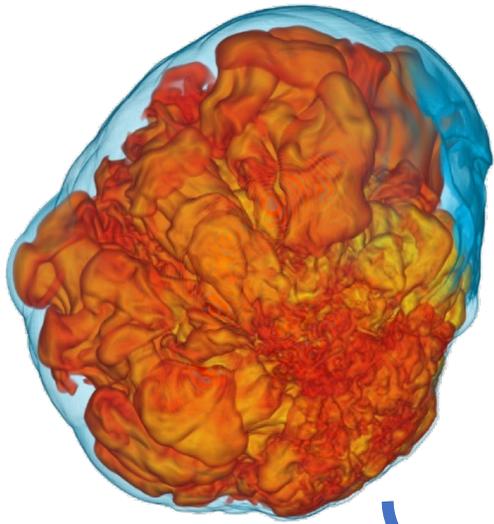
Waveform will depend on:

- Mass
- Nuclear equation of state (EoS)
- Rotation
- ...



**Figure 2.** GW signals ( $h_+ D$  in units of cm, where  $D$  is the distance of the source) for a few examples from the 2D GR model set of Dimmelmeier et al. [108]. The models shown here were computed with the Shen EOS [135, 136] and employ 1D presupernova models of [137], spanning the progenitor mass range from  $11.2 M_\odot$  (s11) to  $40 M_\odot$  (s40). The models were set up with precollapse central angular velocities  $\Omega_{c,i}$  from  $\sim 1.5 \text{ rad s}^{-1}$  to  $\sim 11 \text{ rad s}^{-1}$ . For details of the rotational setup, see [108]. Model E20A uses a  $20 M_\odot$  presupernova model that was evolved by [138] with a 1D prescription for rotation. Note the generic shape of the waveforms, exhibiting one pronounced spike at core bounce and a subsequent ring down. Very rapid precollapse rotation ( $\Omega_{c,i} \gtrsim 6 \text{ rad s}^{-1}$ ; models s20A3O12 and s40A2O13 in this plot) results in a significant slow-down of core bounce, leading to a lower-amplitude and lower-frequency GW burst. The GW signal data are available for download from [126].

# Rapidly rotating core



GWs from rapidly rotating cores?

Relevant distance scale:

Low-luminosity GRB / CCSN with jets:  $10^2\text{-}10^3 \text{ Gpc}^{-3} \text{ yr}^{-1}$   
(Guetta & della Valle 2006; Soderberg+ Nature 2010)

(Beaming factor  $\sim 10$ )

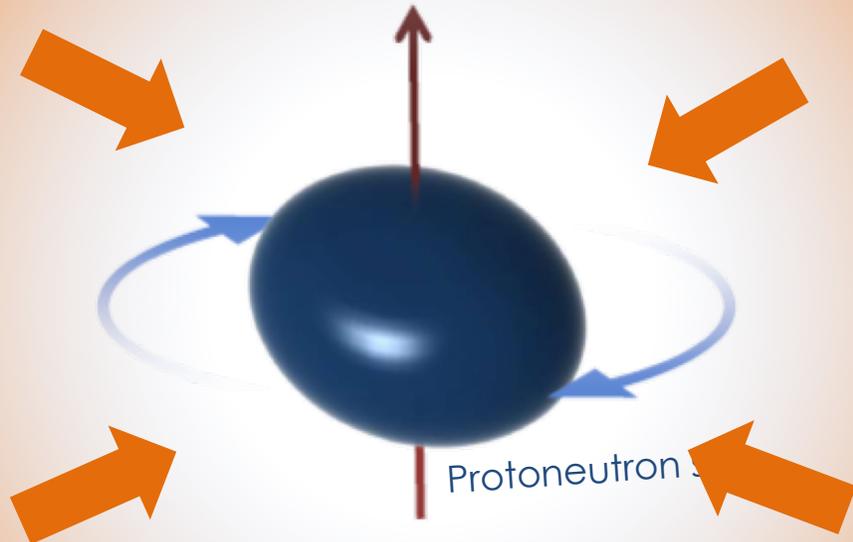
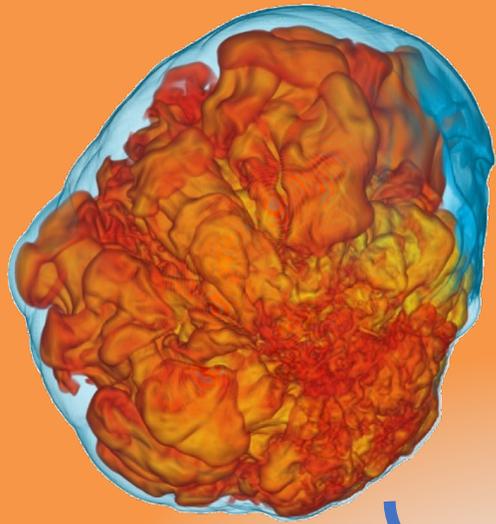
→ 50-100 Mpc

Differential rotation (e.g. Corvino+ 2010)

- **Dynamical instabilities** (*shorter time scale*)
- **Secular instabilities** (*longer time scale*)
- **Magnetic distortion**

$$E_{\text{GW}} \approx 10^{-2} M_{\odot} c^2 \left( \frac{\epsilon}{0.2} \right)^2 \left( \frac{f}{2 \text{ kHz}} \right)^6 \left( \frac{M}{1.4 M_{\odot}} \right) \left( \frac{R}{12 \text{ km}} \right)^2 \left( \frac{\tau}{0.1 \text{ s}} \right)$$

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**Fallback accretion?** (Piro, Thrane, 2012)

$$E_{\text{CW}} \approx 10^{-2} M_{\odot} c^2 \left( \frac{\epsilon}{0.2} \right)^2 \left( \frac{f}{2 \text{ kHz}} \right)^6 \left( \frac{M}{1.4 M_{\odot}} \right) \left( \frac{R}{12 \text{ km}} \right)^2 \left( \frac{\tau}{0.1 \text{ s}} \right)$$