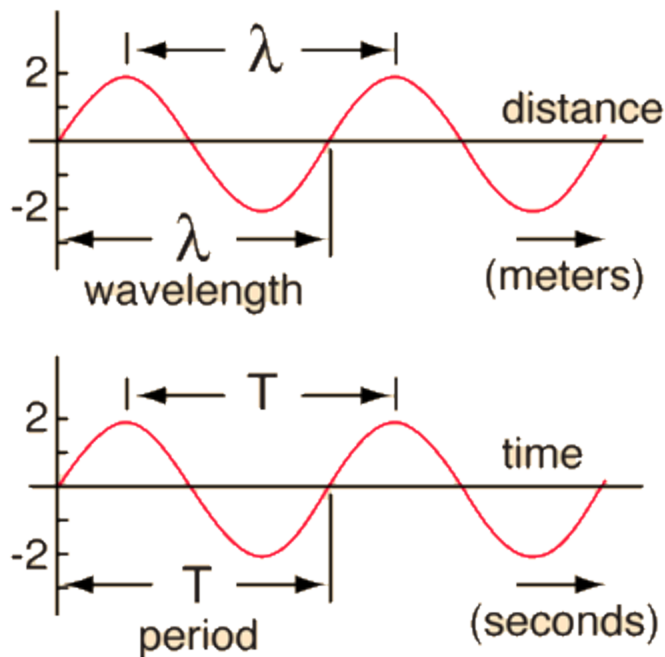


## Wave motion

Many simple repetitive actions: motion of pendulum, bobbing of spring, waves in the sea ... are described as waves and in simplest form given by a sine wave

$A$  (amplitude) =  $C \sin(2\pi t/T)$  if repetitive in time:  $T$  is period, or frequency  $f=1/T$

$A = C \sin(2\pi x/\lambda)$  repetitive in space.  $\lambda$  is wavelength



Moves with velocity  $V = f\lambda$  m/s

**Transverse waves.** Amplitude of motion is perpendicular to direction wave is moving.

The wave advances one wavelength  $\lambda$  while the float executes one period  $T$ . The relationship

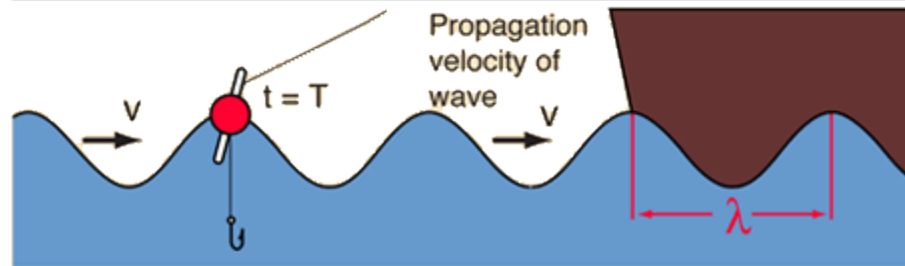
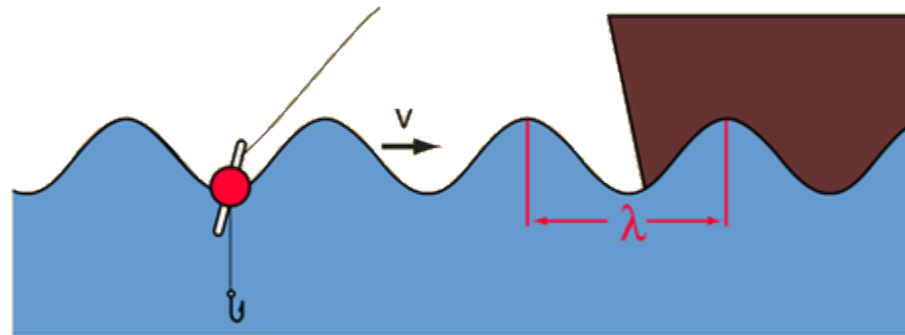
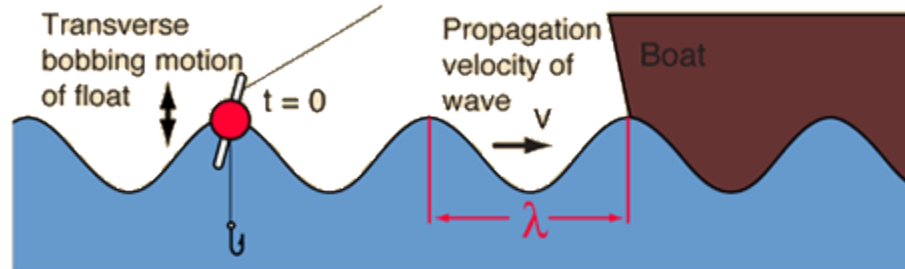
$$\lambda = vT$$

along with

$$T = 1/f$$

gives the usual form of the wave relationship

$$v = f\lambda$$



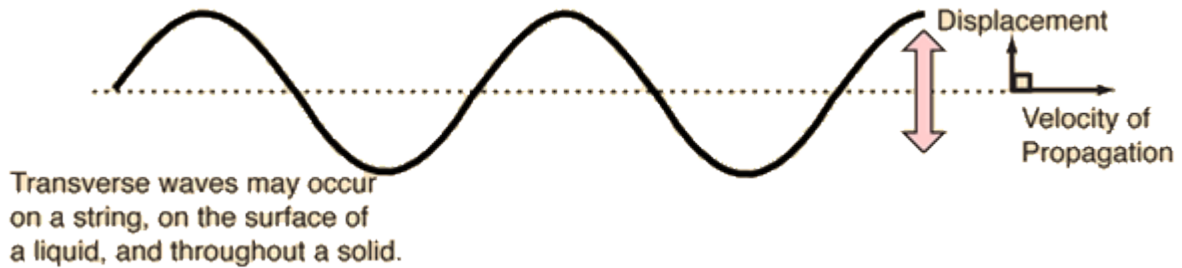
Travelling waves

Drop pebble in pond. Waves travel outward



# Transverse Waves

For transverse waves the displacement of the medium is perpendicular to the direction of propagation of the wave. A [ripple on a pond](#) and a [wave on a string](#) are easily visualized transverse waves.



Transverse waves cannot propagate in a gas or a liquid because there is no mechanism for driving motion perpendicular to the propagation of the wave.

# Longitudinal Waves

In longitudinal waves the displacement of the medium is parallel to the propagation of the wave. A wave in a "slinky" is a good visualization. [Sound waves in air](#) are longitudinal waves.

